



A study of radiation damage in plastic scintillators using magnetic resonance techniques for the upgrade of the ATLAS detector

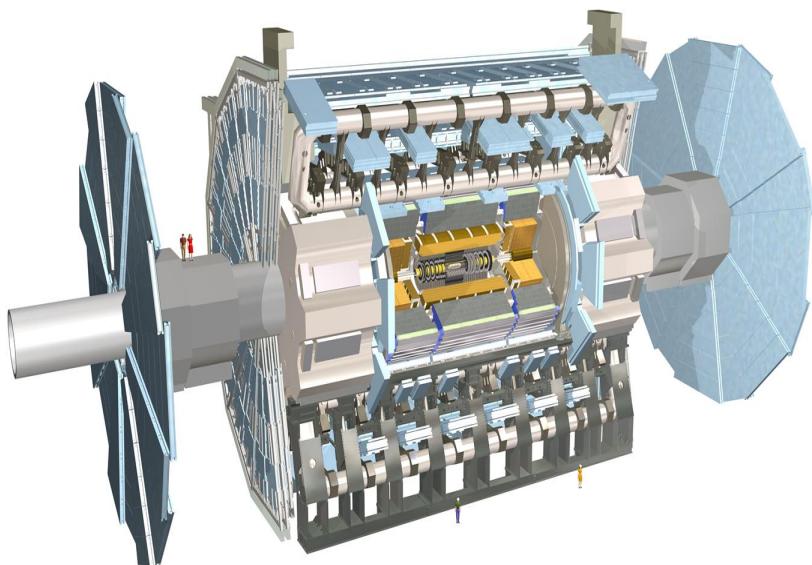
Chad Pelwan
MSc student

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Outline of presentation

- The ATLAS detector
- MBTS plastics
- Aims
- Plastic structure
- EPR
- Results and Summary

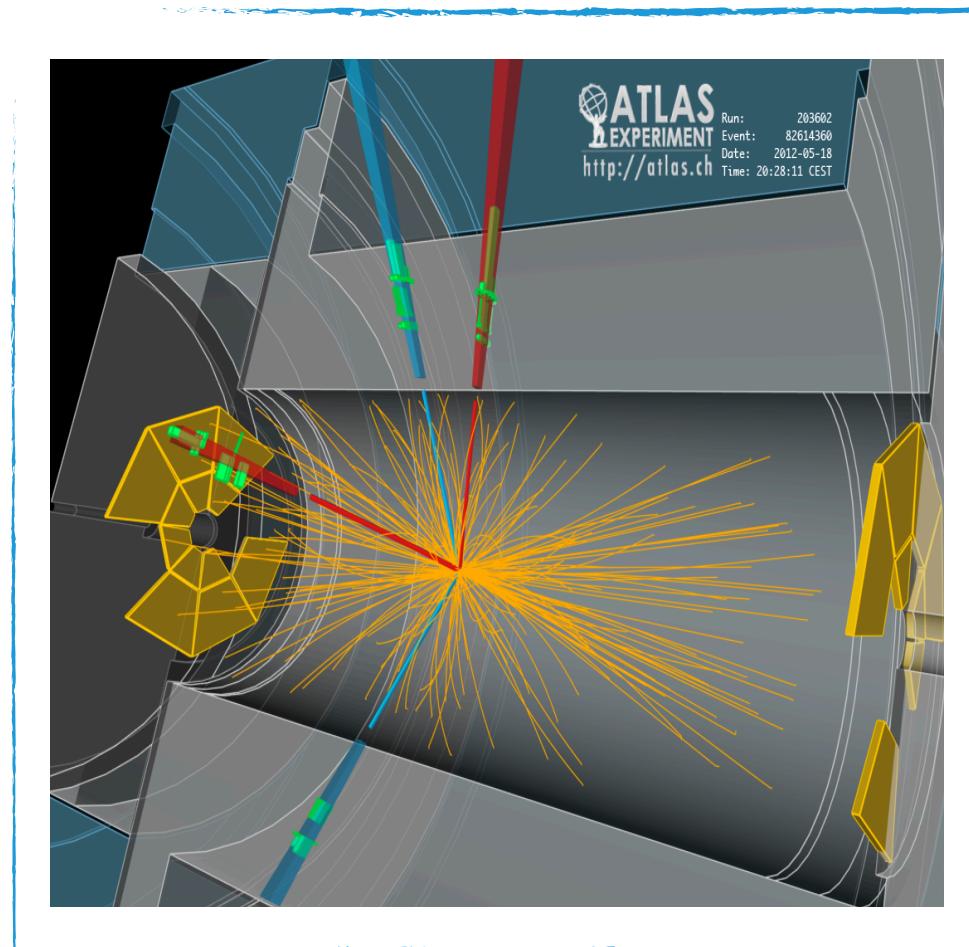
The ATLAS Detector



- Largest of 4 detectors in the LHC
- Tile Calorimeter (TileCal) situated in the inner detector
- Able to detect energetic particles: hadrons, quarks, jets...

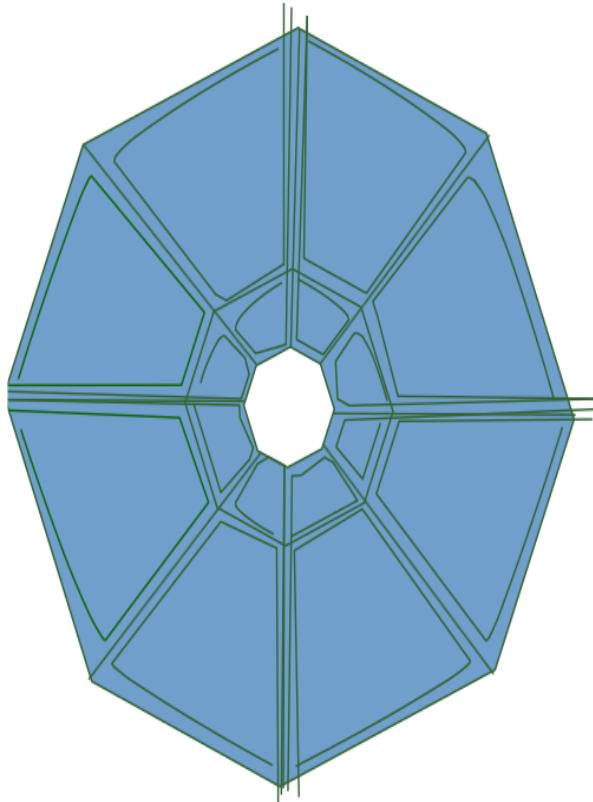
The Minium Bias Trigger Scintillator plastics

- Located on EndCaps of ATLAS detector
- Installed at $2.08 < |\eta| < 3.75$ around beam pipe
- Part of the Level 1 Trigger system
- 32 in total, 16 on both EndCaps
- Track trajectories of energetic particles



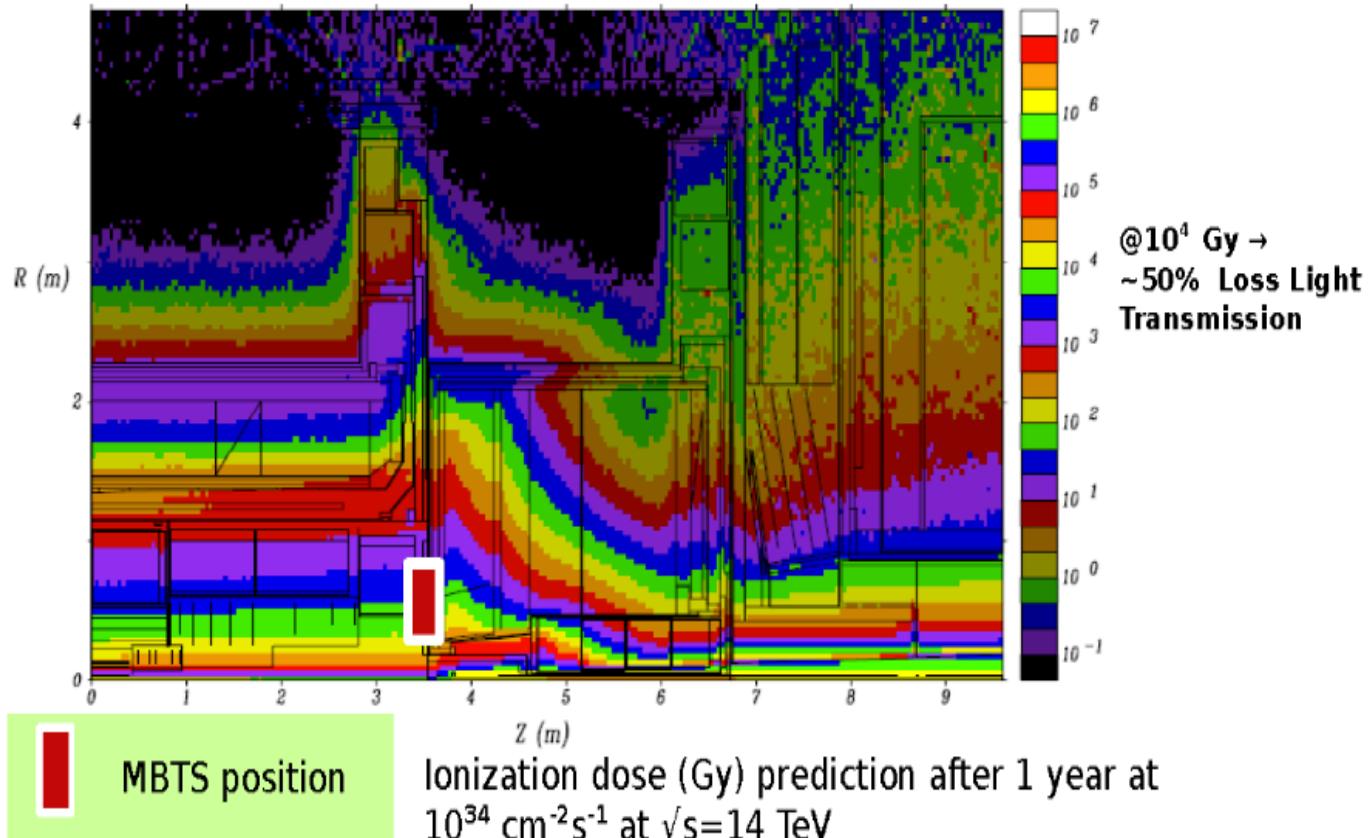
http://www.atlas.ch/photos/atlas_photos/selected-photos/events/run203602_evt82614360_VP1DetailFull.png

MBTS Continued



- 2 cm thick
- Polystyrene base plastics
- Susceptible to radiation damage due to low to medium energy particle interaction
- Due to be replaced because of lack of efficiency

Radiation Environment



In Run I MBTS accumulated $\sim 0.21 \times (0.5\text{-}2.0) \times 10^4 \text{ Gy} = [0.1\text{-}0.4] \times 10^4 \text{ Gy}$

Our aims are then to:

Find a replacement

- From 6 plastic grades, which one is best?

Polyvinyl-toluene (PVT) based Eljen samples:

- EJ200
- EJ208
- EJ260
- Bicron

Polystyrene based samples

- Dubna
- Protvino

Understand the damage

- How can we characterize damage to the different plastics?

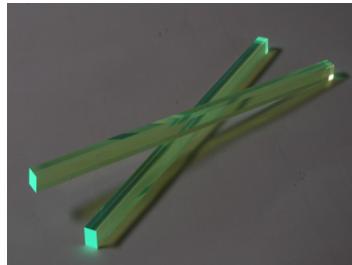
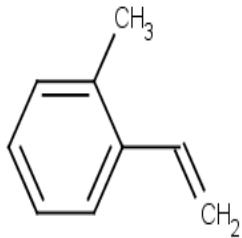
Using electron paramagnetic resonance (EPR)

Post density functional theory (DFT) calculations

The plastics

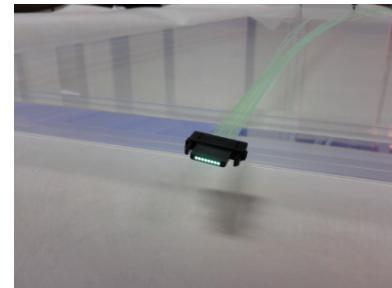
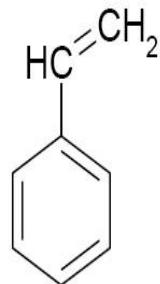
The PVT samples

- Two blue and one green emitting scintillator:
[EJ200](#), [EJ208](#), [EJ260](#),
Bicron
- Organic dopants



The polystyrene samples

- Three blue emitting scintillators: [Dubna](#), [Protvino](#)
- Organic dopants:
POPOP, p-TP

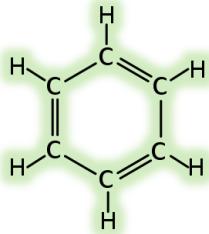


C-H bonds are most likely to break in both samples^[1,2]

[1] Torrisi L 1998 *Radiation Effects and Defects in Solids* **145** 271–284 ISSN 1042-0150

[2] Torrisi L 2002 *Radiation Physics and Chemistry* **63** 89–92 ISSN 0969806X

DFT Set Up



VASP

PHYSICAL REVIEW

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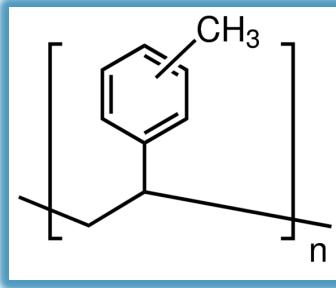
15 NOVEMBER 1965

Self-Consistent Equations Including Exchange and Correlation Effects^a

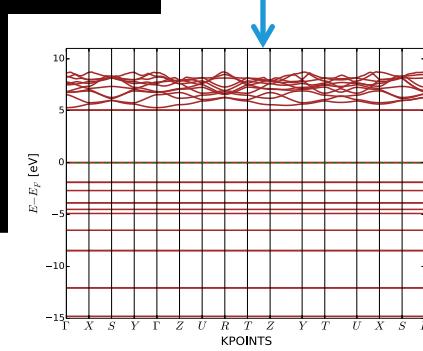
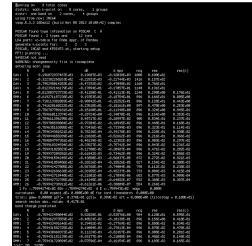
W. KOHN AND L. J. SHAM

University of California, San Diego, La Jolla, California

$$E = \sum_i^N \epsilon_i - \frac{1}{2} \int \int \frac{n(\mathbf{r})n(\mathbf{r}')}{|\mathbf{r}-\mathbf{r}'|} d\mathbf{r} d\mathbf{r}' + \int n(\mathbf{r}) [\epsilon_{xc}(n(\mathbf{r})) - \mu_{xc}(n(\mathbf{r}))] d\mathbf{r}.$$



Quantum Espresso



First-Principles Theory of the EPR g Tensor in Solids: Defects in Quartz

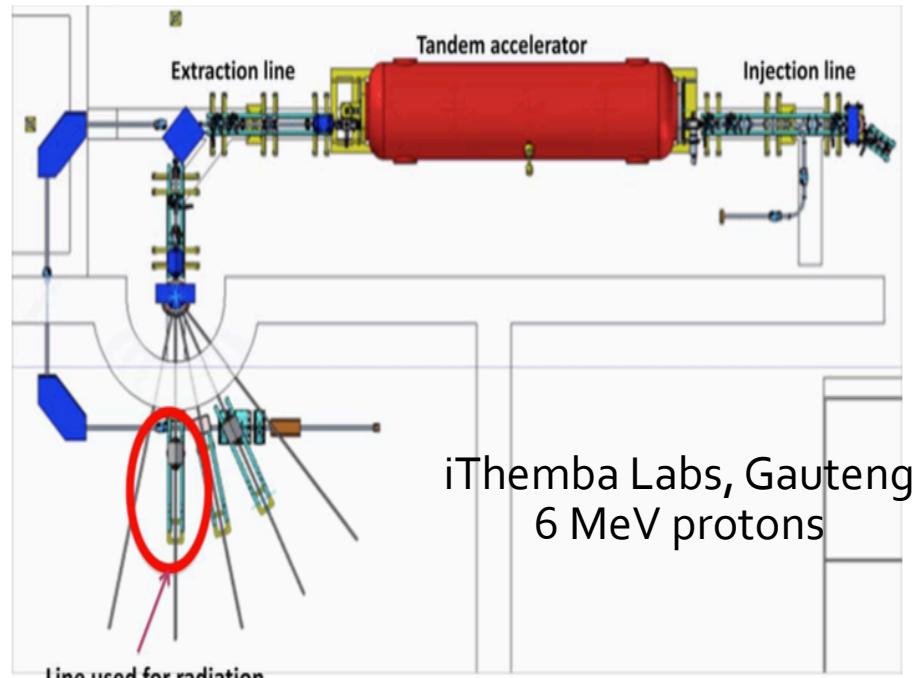
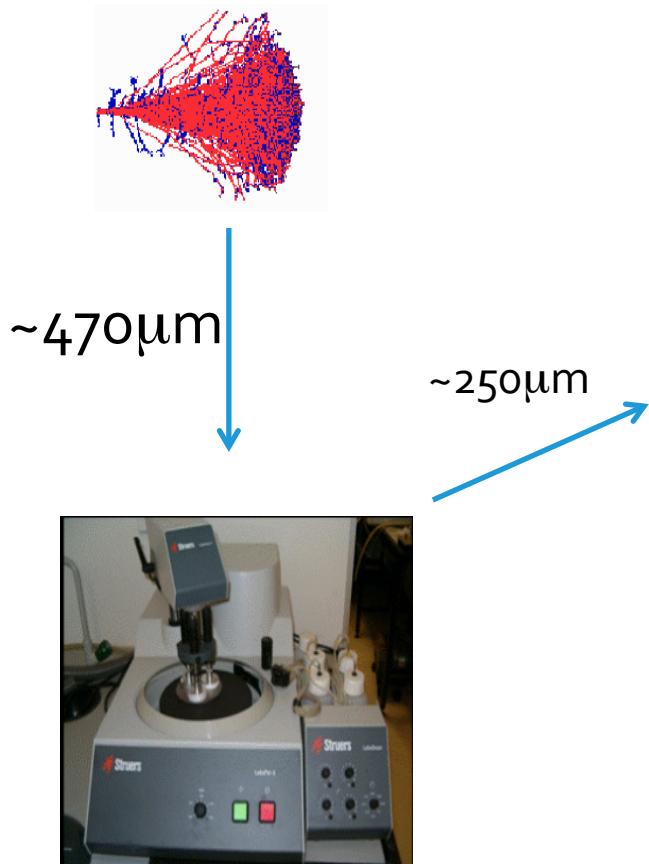
Chris J. Pickard

$$H = \sum_i \left\{ \frac{[\mathbf{p}_i + \alpha \mathbf{A}(\mathbf{r}_i)]^2}{2} - \sum_I \frac{Z_I}{|\mathbf{r}_i - \mathbf{R}_I|} + \sum_{j \neq i} \frac{1}{|\mathbf{r}_i - \mathbf{r}_j|} \right\} + H_Z + H_{Z-KE} + H_{SC}$$

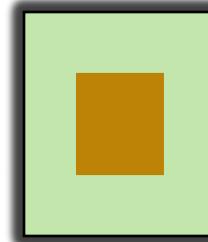
```
# 0
# total energy      = -114.16773382 Ry
# 0.45          0.00      -0.00
# 0.92          0.00      0.00
# 0.80          0.01      0.01
# -5.1723309E-02  1.8861054E-02  1.0861654E-02
# 2.0553374E-03
g 0
# total energy      = -113.81526668 Ry
# 0.23          462.32      25.40
# 417.28          541.94      -17.38
# 31.76          -21.05      -1178.64
# 196.916          174.4116      -1179.697
# 20.2999
g 1
# total energy      = -113.81261968 Ry
# 1034.36        -346.10      196.43
# -344.12         269.22      -11.96
# 206.46         -49.74      -982.50
# 1106.231        138.5198      -923.1000
# 133.5501
g 2
# total energy      = -113.81197087 Ry
# 1034.36        -346.10      196.43
# -344.12         269.22      -11.96
# 206.46         -49.74      -982.50
# 1106.231        138.5198      -923.1000
# 133.5501
g 3
# total energy      = -113.81179787 Ry
# 1034.36        -346.10      196.43
# -344.12         269.22      -11.96
# 206.46         -49.74      -982.50
# 1106.231        138.5198      -923.1000
# 133.5501
g 4
# total energy      = -113.81139859 Ry
# 777.25        483.36      189.26
# 494.46        539.26      10.55
```

Sample preparation

SRIM (Stopping Range of Ions in Matter)



Irradiated sample

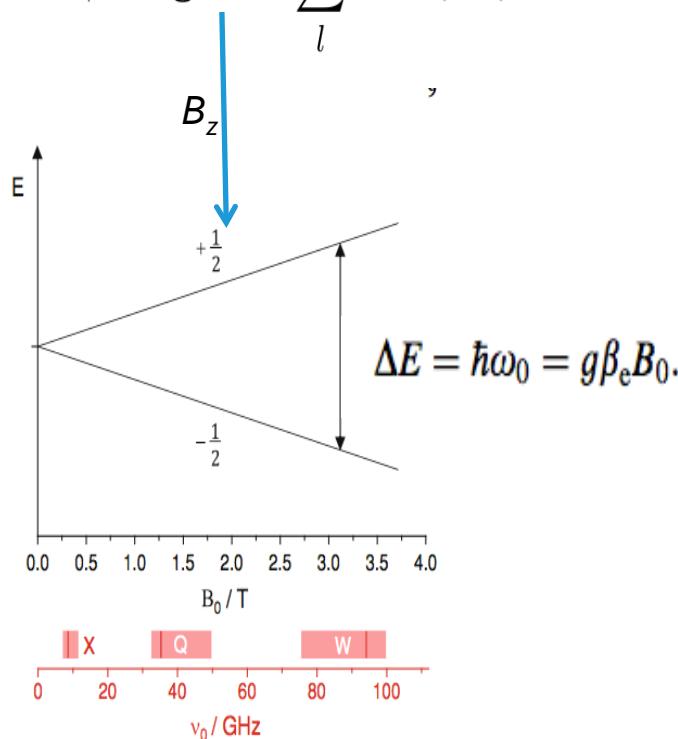


All six plastics to be irradiated to 6 different doses and compared to an un-irradiated sample

Electron Paramagnetic Resonance

EPR probes the electronic structure of the samples by looking at their unpaired electrons and ions

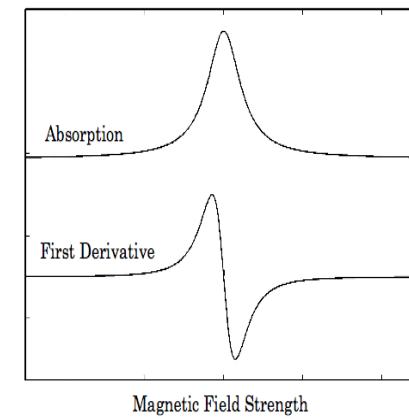
$$\mathcal{H} = \beta \mathbf{B} \cdot \mathbf{g} \cdot \mathbf{S} + \sum_l \mathbf{S} \cdot \mathbf{A}_l \cdot \mathbf{I}_l$$



$$\Delta E = \hbar \omega_0 = g \beta_e B_0.$$



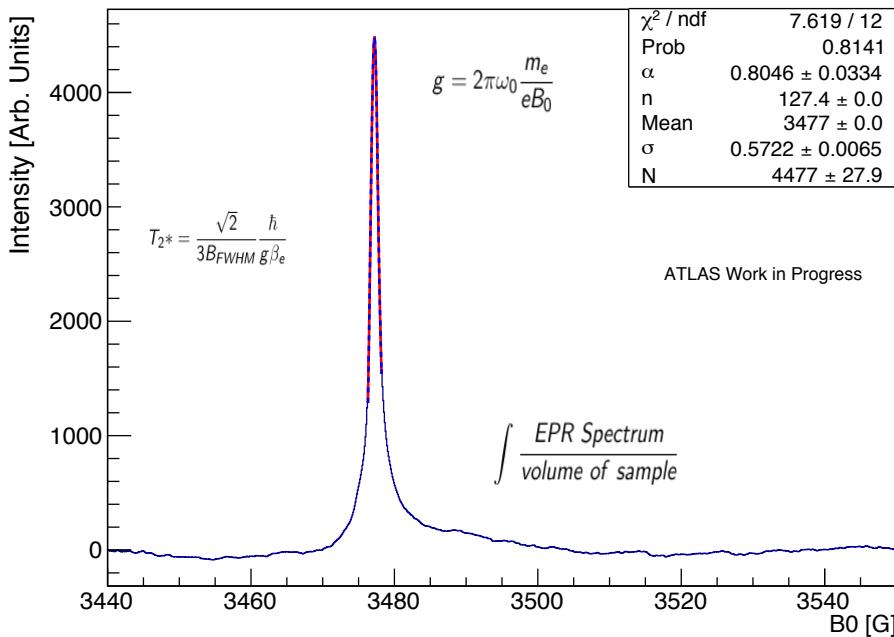
NMR Lab,
University of
Witwatersra-
nd



Magnetic Field Strength

Sample Spectra and Analysis

EJ260 with dosage 8 MGy at 80K

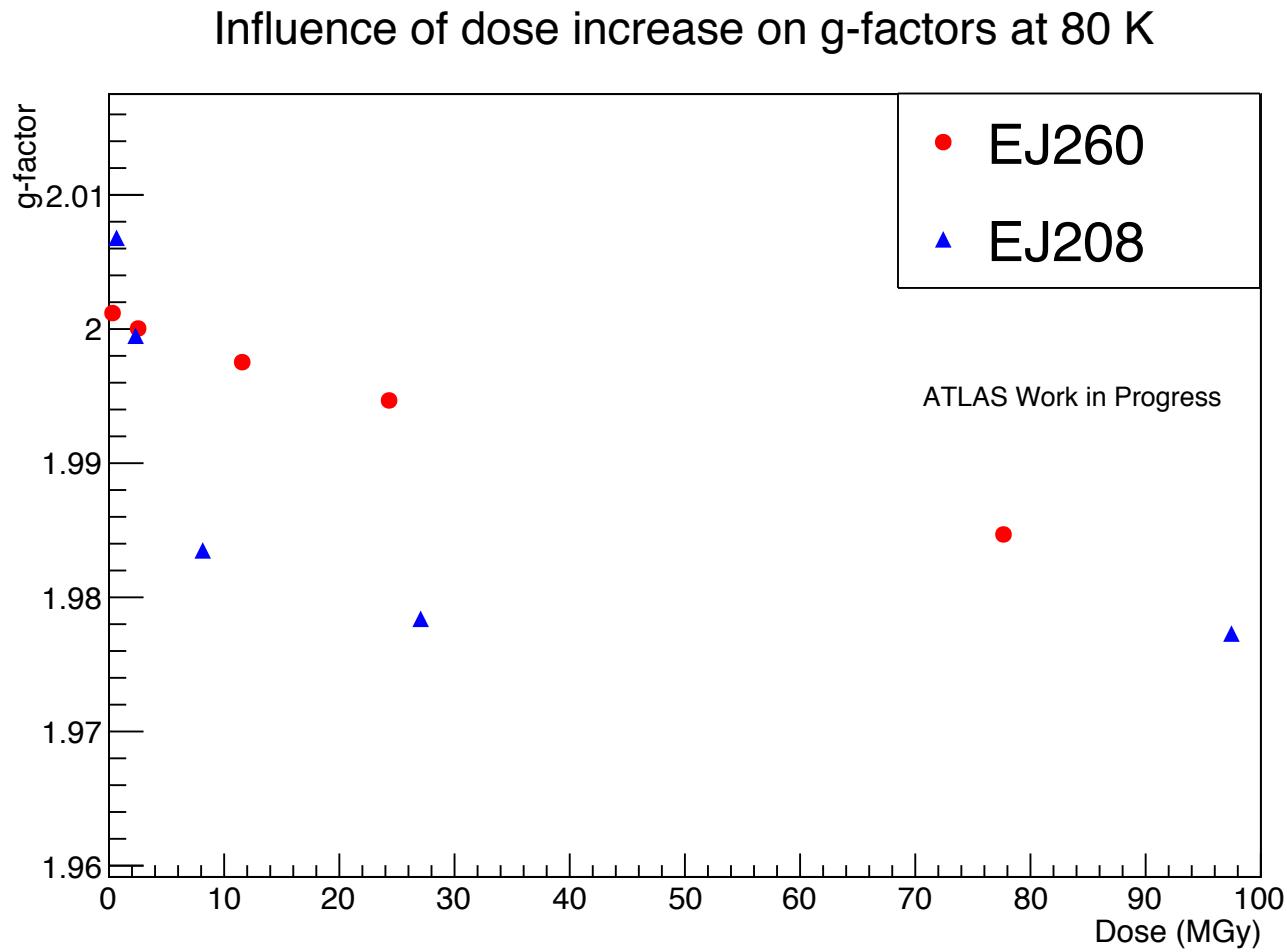


$$f(x; \alpha, n, \bar{x}, \sigma) = N \cdot \begin{cases} \exp\left(-\frac{(x-\bar{x})^2}{2\sigma^2}\right), & \text{for } \frac{x-\bar{x}}{\sigma} > -\alpha \\ A \cdot (B - \frac{x-\bar{x}}{\sigma})^{-n}, & \text{for } \frac{x-\bar{x}}{\sigma} \leq -\alpha \end{cases}$$

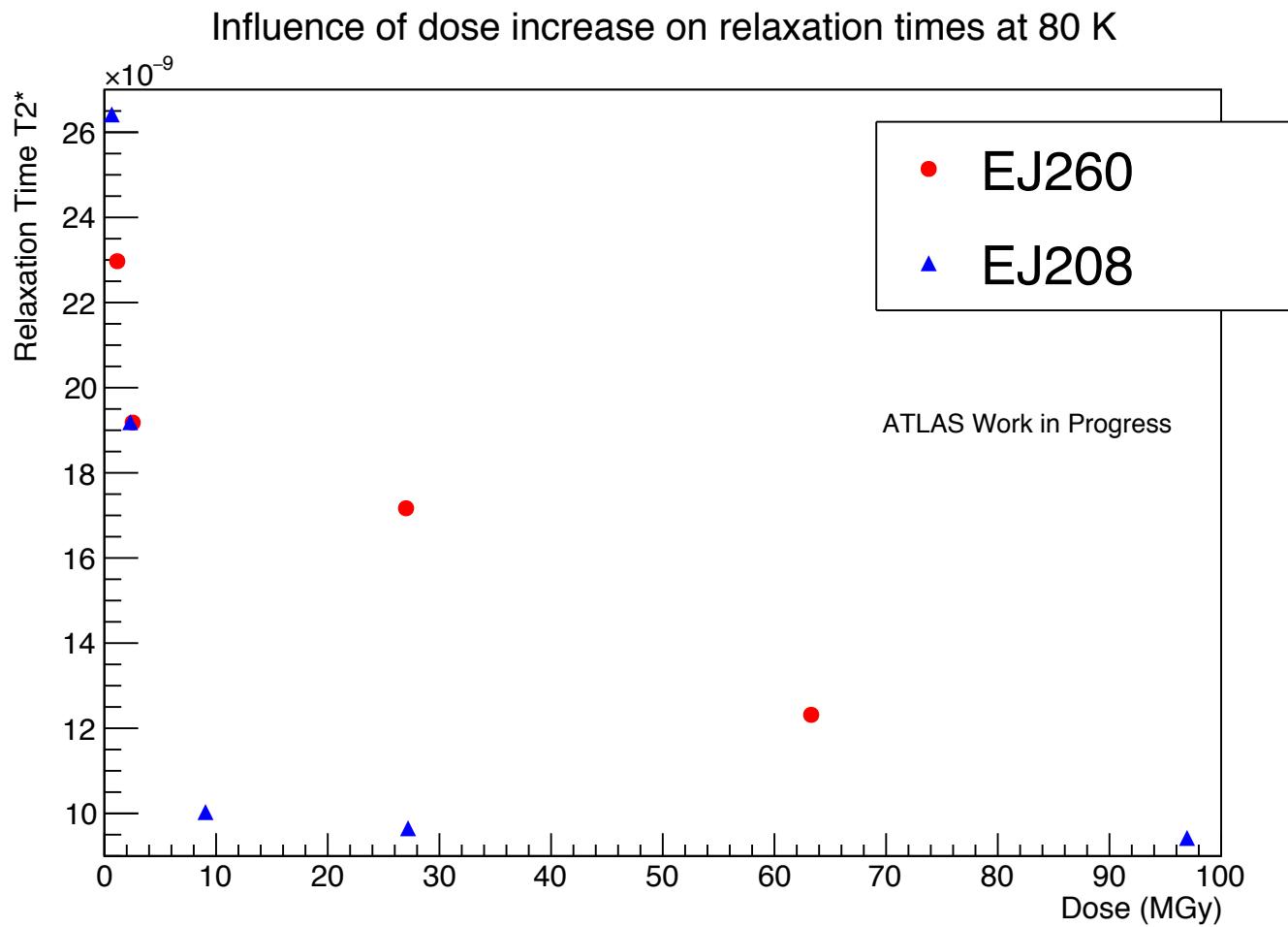
Variable Name	Parameter(s) Used	Symbol
Intensity	Peak Height (N)	I
Peak Magnetic Field	Mean	B_0
Magnetic Field at FWHM	σ, α	B_{FWHM}
Integral	σ, α	$\int \frac{\text{EPR Spectrum}}{\text{volume of sample}}$

- g-factor: gives information about environment spins see
- T^{2*} : spin-spin relaxation time
- Spin density: number of spins per sample

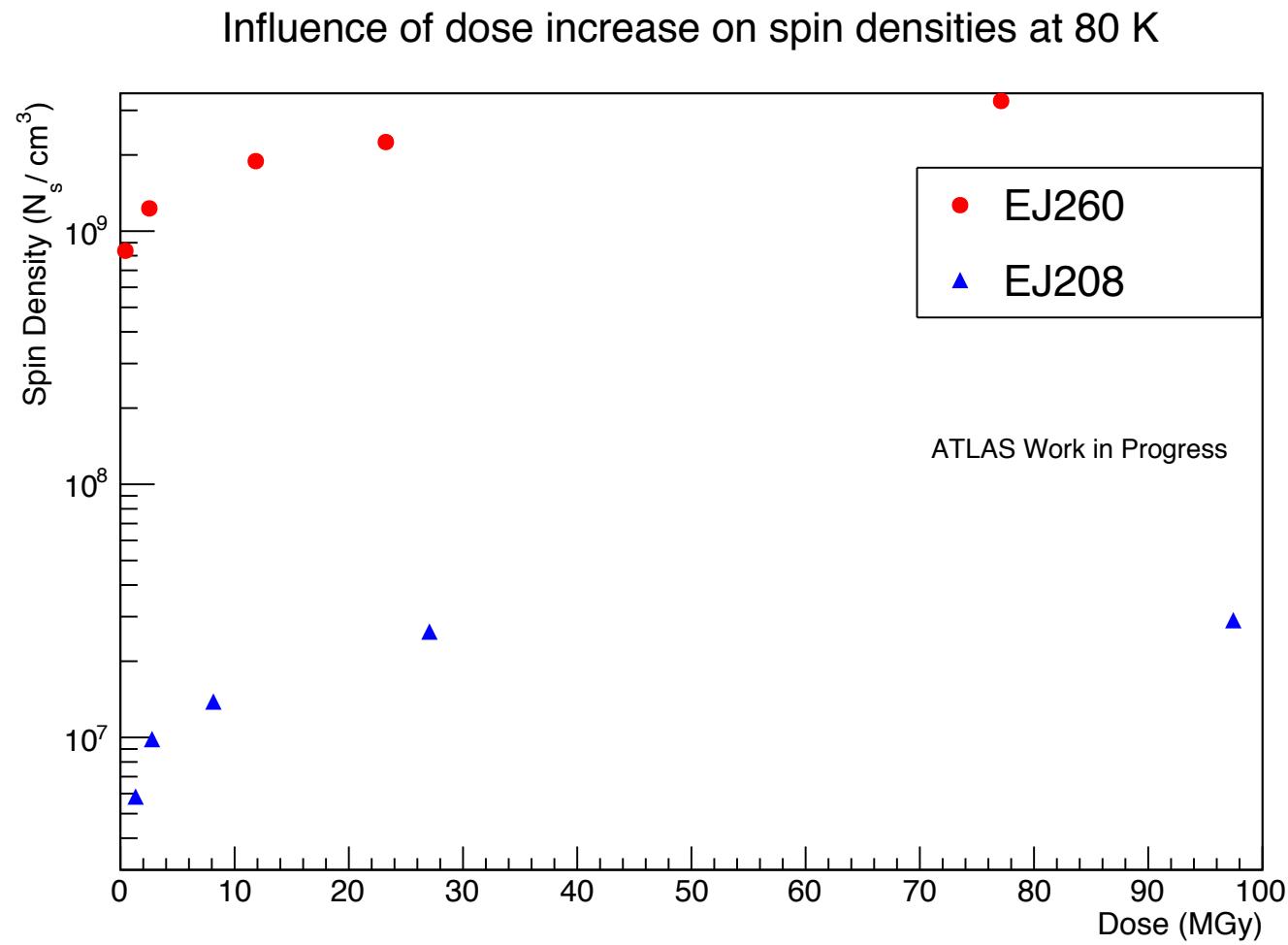
Results: g-factor



Results: Relaxation Time



Results: Spin density



DFT Results

Analysis of 1-ethenyl-2methylbezene: an isomer of the PVT molecule

Hydrogens removed	Δg (ppm)			Total Energy (Ry)
	g_{xx}	g_{yy}	g_{zz}	
0	-0.031	0.010	0.010	-114.167
1	1065.91	174.41	-1179.69	-113.816
2	1185.23	138.51	-923.10	-113.815
3	-1282.97	-249.87	923.28	-113.811
4	67.25	-657.46	-679.41	-113.813
5	-0.17	0.052	0.052	-114.064
6	71.83	-651.25	-677.79	-113.884
7	71.83	-651.25	-677.7996	-113.884
8	-0.11	-0.052	0.033	-114.171

- Hyperfine tensor principle components change as samples are damaged effecting principle components of the g-tensor

In summary...

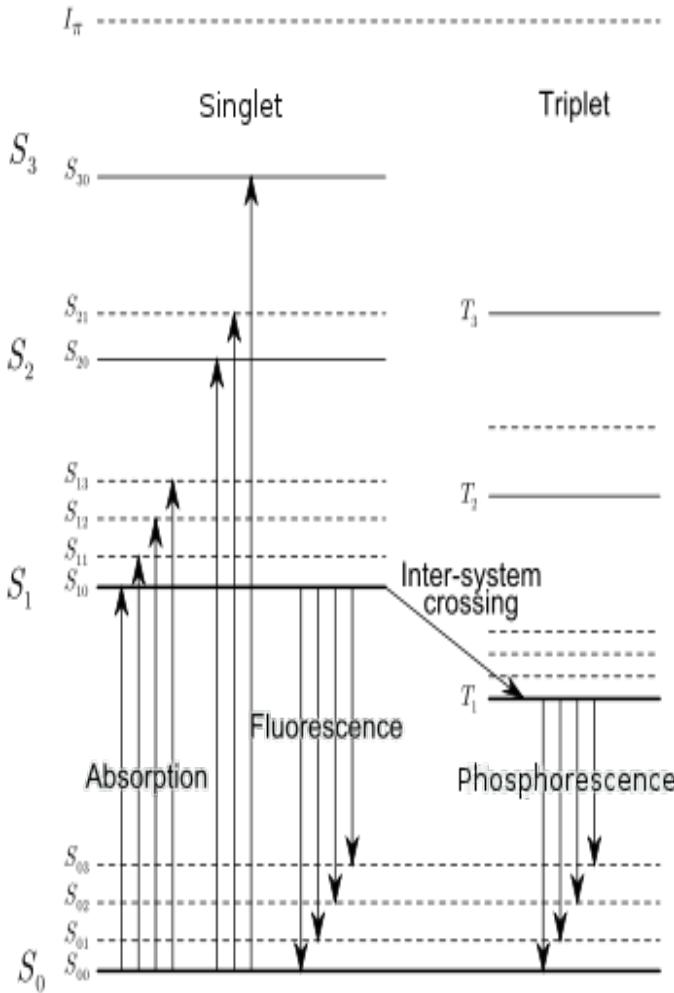
- Structural damage to plastic scintillators cause them to deteriorate
- C-H bonds are most likely to break causing a shift in the g-factor away from the free electron, a decrease in relaxation time due to hyperfine parameters, and an increase in spin density
- All six plastic scintillators to be tested

Thank you to

- SA CERN
- NRF
- iThemba LABS, Gauteng



Back Up: The Scintillation Mechanism



A

Energy deposit in base material \rightarrow excitation

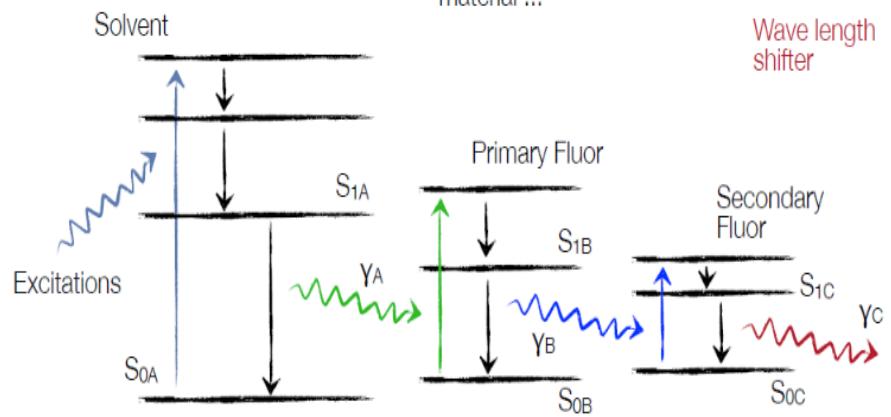
Primary fluorescent

- Good light yield ...
- Absorption spectrum matched to excited states in base material ...

B
Secondary fluorescent

C
Wave length shifter

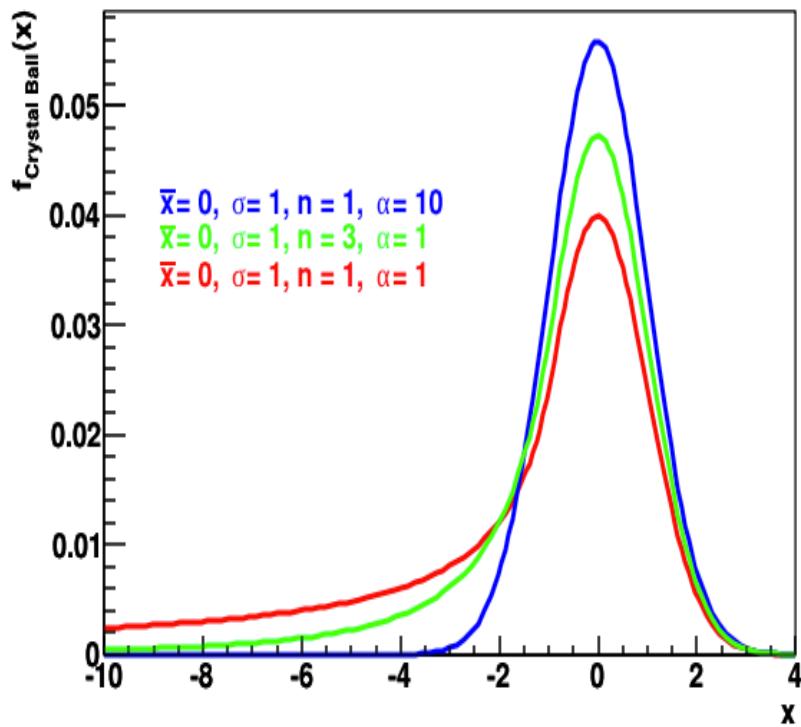
Solvent



Back Up: The Crystal Ball Fit

$$f(x; \alpha, n, \bar{x}, \sigma) = N \cdot \begin{cases} \exp\left(-\frac{(x-\bar{x})^2}{2\sigma^2}\right), & \text{for } \frac{x-\bar{x}}{\sigma} > -\alpha \\ A \cdot (B - \frac{x-\bar{x}}{\sigma})^{-n}, & \text{for } \frac{x-\bar{x}}{\sigma} \leq -\alpha \end{cases}$$

My Parameters



Variable Name	Parameter(s) Used	Symbol
Intensity	Peak Height (N)	I
Peak Magnetic Field	Mean	B_0
Magnetic Field at FWHM	σ, α	B_{FWHM}
Integral	σ, α	$\int \frac{EPR \text{ Spectrum}}{\text{volume of sample}}$

Back Up: post DFT details

- QE-GIPAW (Gauge-Including Projector-Augmented Wave) used to calculate EPR parameters

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All-electron magnetic response with pseudopotentials: NMR chemical shifts

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First-Principles Theory of the EPR g Tensor in Solids: Defects in Quartz

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$$\bar{H} = \frac{1}{2} \mathbf{p}^2 + V^{\text{loc}}(\mathbf{r}) + \sum_{\mathbf{R}} e^{(i/2c)\mathbf{r} \cdot \mathbf{R} \times \mathbf{B}} V_{\mathbf{R}}^{\text{nl}} e^{-(i/2c)\mathbf{r} \cdot \mathbf{R} \times \mathbf{B}}$$

$$+ \frac{1}{2c} \mathbf{L} \cdot \mathbf{B} + \frac{1}{8c^2} (\mathbf{B} \times \mathbf{r})^2.$$

$$H = \sum_i \left\{ \frac{[\mathbf{p}_i + \alpha \mathbf{A}(\mathbf{r}_i)]^2}{2} - \sum_I \frac{Z_I}{|\mathbf{r}_i - \mathbf{R}_I|} + \sum_{j \neq i} \frac{1}{|\mathbf{r}_i - \mathbf{r}_j|} \right\} + H_Z + H_{Z\text{-KE}} + H_{SO} + H_{SOO}.$$

C. J. Pickard and F. Mauri, Phys. Rev. B 63, 245101 (2001)

J. R. Yates, C. J. Pickard and F. Mauri, Phys. Rev. B 76, 024401 (2007)

C. J. Pickard and F. Mauri, Phys. Rev. Lett. 88, 086403 (2002)

M. S. Bahramy, M. H. F. Sluiter and Y. Kawazoe, Phys. Rev. B 76, 035124 (2007)