

Increasing the location rate of Positron Emission Particle Tracking (PEPT) measurements



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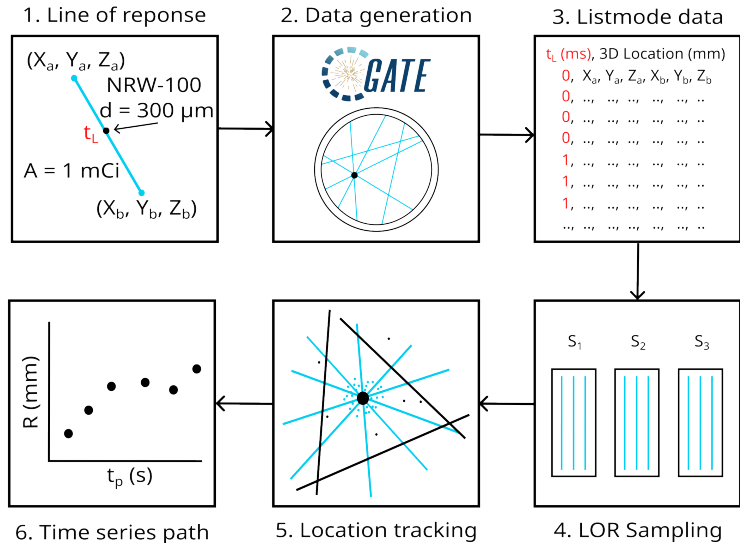
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Overview of PEPT



Data generation

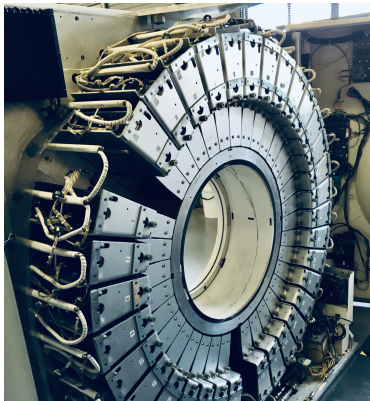


Figure 1: Siemens ECAT HR++ PET scanner at PEPT Cape Town.

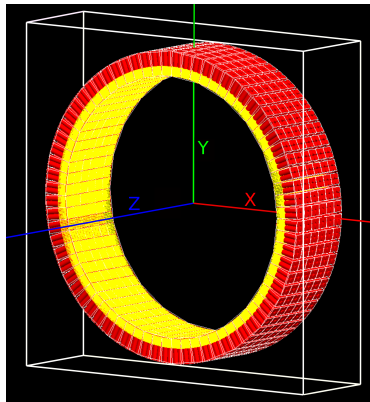


Figure 2: GATE simulation of the HR++ PET camera as seen in Figure 2.

The research problem

(a)

1. Simulation timestamps

Simulation times = [0.00, 0.11, 0.33, 0.82, 1.01, 1.25, ...] ms

2. Listmode timestamps

Millisecond times = [0.00, 0.00, 0.00, 0.00, 1.00, 1.00, 1.00, ...] ms

3. Interpolated timestamps

Millisecond times = [0.00, 0.00, 0.00, 0.00, 1.00, 1.00, 1.00, ...] ms



Interpolated times = [0.00, 0.25, 0.50, 0.70, 1.00, 1.25, 1.50, ...] ms

(b)

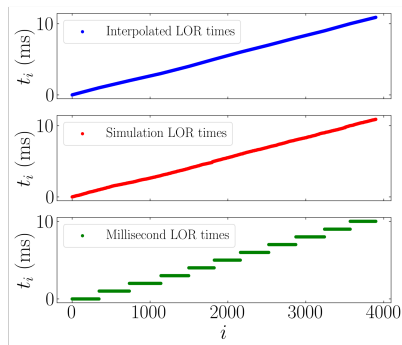


Figure 3: Illustration (a) shows the interpolation algorithm and (b) shows the timestamps of the simulation, millisecond and interpolation LORs.

Timestamp difference

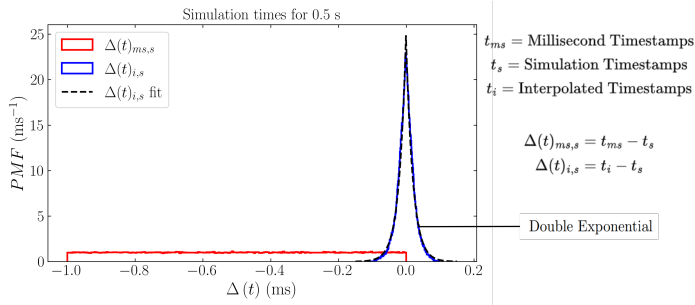


Figure 4: The temporal error, $\Delta(t)$, for both the millisecond and the interpolated timestamps.

- The following fit results are for $\Delta(t)_{i,s}$
- $\mu = (-7.3 \pm 1.0) \times 10^{-4}$ ms, $\beta = 0.02014 \pm 0.00014$ ms
- Reduced $\chi^2 = 0.28$, $L = 377 \pm 19$ kHz

Random walk model

- The $\gamma = 0.0$ mm, $\sigma = 1.0$ mm and τ user defined.
- A moving average with a window size of 4 was applied.

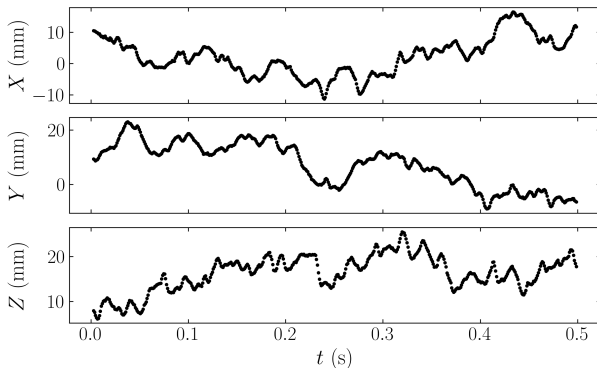


Figure 5: The X , Y and Z dimensions of the random walk model for 0.5 s .

Trajectory comparison

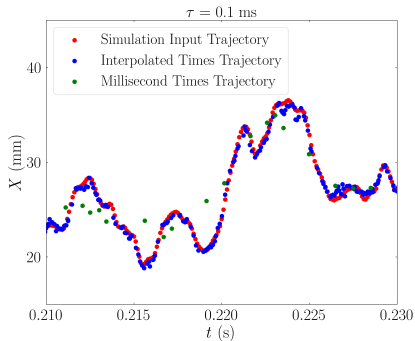


Figure 6: X dimension of path with $\tau = 0.1$ ms

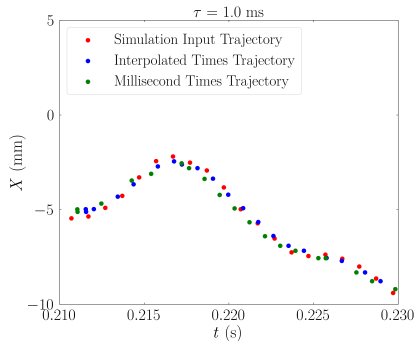


Figure 7: X dimension of path with $\tau = 1.0$ ms

Velocity distributions

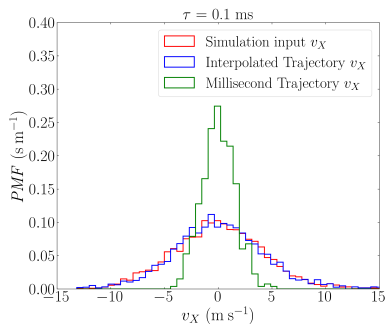


Figure 8: v_X distributions for $\tau = 0.1$ ms.

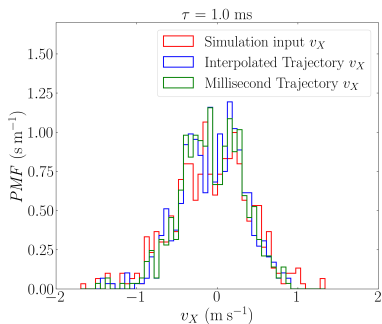


Figure 9: v_X distributions for $\tau = 1.0$ ms.

- Large maximum v_X for Figure 8 compared to Figure 9

Trajectory uncertainties

Trajectory uncertainty equation

$$\Delta(R) = \left[\sum_{j=0}^n |R_i(j) - R_t(j)| \right] / n$$

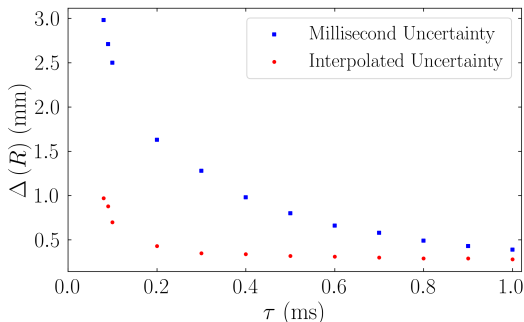


Figure 10: The uncertainty, $\Delta(R)$, as a function of time step, τ , for $\tau \in \{0.08, 1.00\}$ ms.

Similarity of velocity distributions

Jensen-Shannon distance (JSD)

A JSD from 0 to 1 shows similarity to dissimilarity.

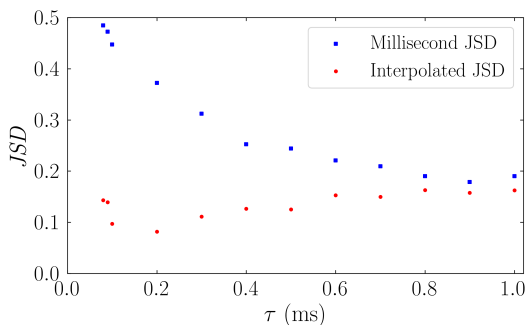
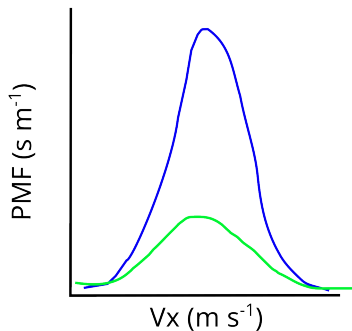
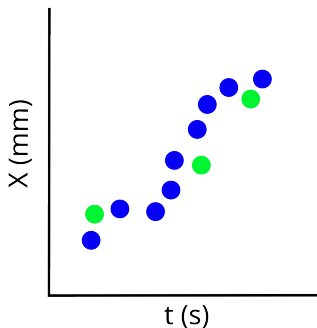


Figure 11: The JSD as a function of time step, τ , for $\tau \in \{0.08, 1.00\}$ ms.

Conclusion



- \uparrow in temporal resolution \Rightarrow \uparrow in location frequency
- \downarrow of uncertainty in the trajectory
- This increases the ability of PEPT to track high speed tracers undergoing turbulent motion e.g. centrifuge pumps

References

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- Nicușan, AL, and CRK Windows-Yule, "Positron emission particle tracking using machine learning". *Review of Scientific Instruments*, vol. 91, no. 1, 2020, p. 013329.
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- Perin, Rayhaan, et al., "On the Ability of Positron Emission Particle Tracking (PEPT) to Track Turbulent Flow Paths with Monte Carlo Simulations in GATE". *Applied Sciences*, vol. 13, no. 11, 2023, p. 6690.

Thank you!

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